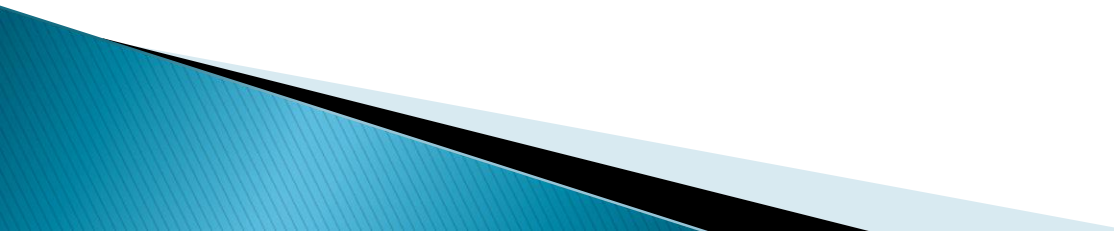


# New method of (human) body imaging with PET based on $3g/2g$ annihilation.

**Bożena Jasińska**  
for J-PET collaboration

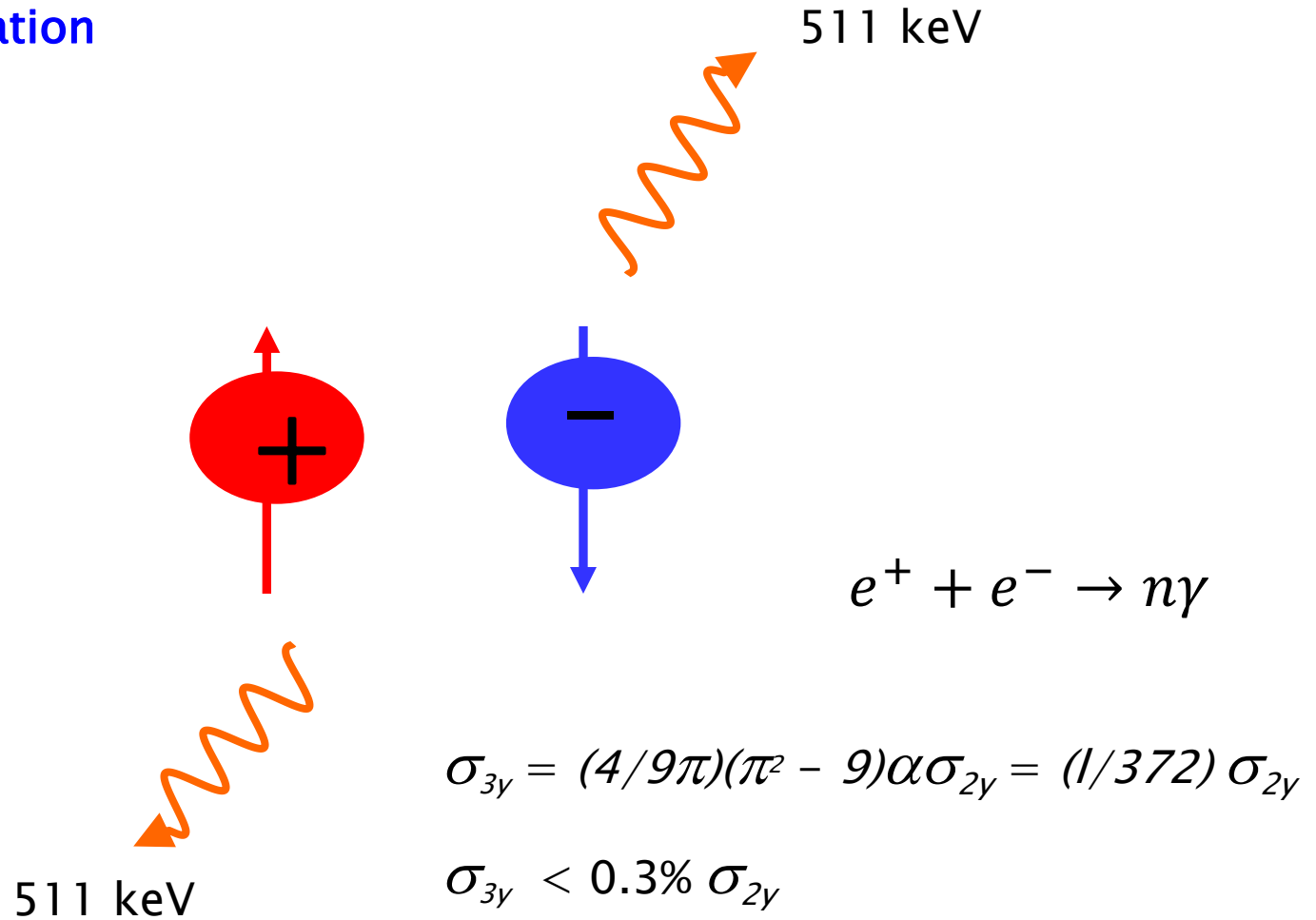
*Institute of Physics, Maria Curie Skłodowska University  
20-031 Lublin, Poland*

## **OUTLINE:**

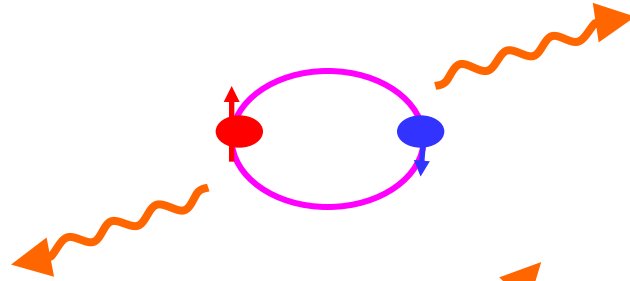
- 1. Processes leading to  $3\gamma$  and  $2\gamma$  annihilation**
  - 2. Determination of  $3\gamma$  fraction from PALS and J-PET**
  - 3. Preliminary measurements of tissues towards medical imaging**
- 

# Processes of positron annihilation

## 1. Free annihilation



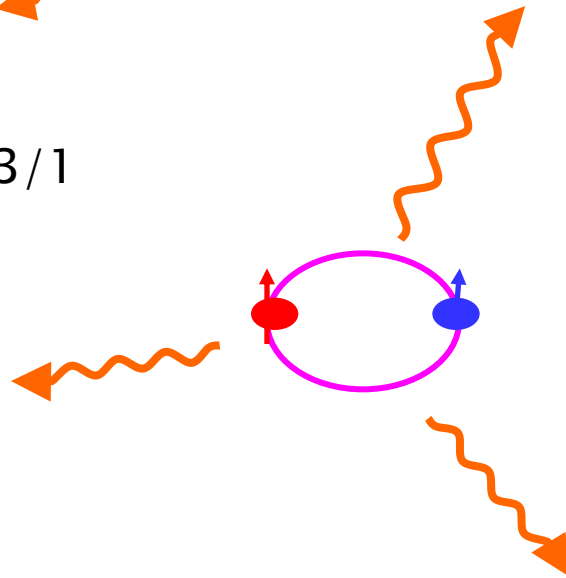
## 2. Positronium decay *in the vacuum*



$$\tau = 125 \text{ ps}$$

$$\lambda_{\text{p-Ps}} = (7,98950 \pm 0,00002) \text{ ns}^{-1}$$

$$P(\text{o-Ps})/P(\text{p-Ps}) = 3/1$$

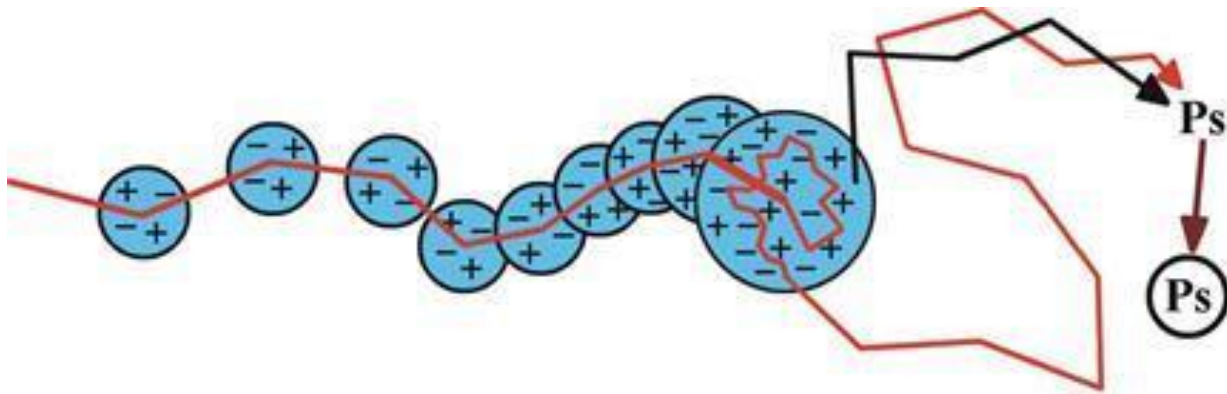


$$\tau = 142 \text{ ns}$$

$$\lambda_{\text{o-Ps}} = (7,03993 \pm 0,00001) \text{ ns}^{-1}$$

### 3. Positronium *in the condensed matter*

Thermallization

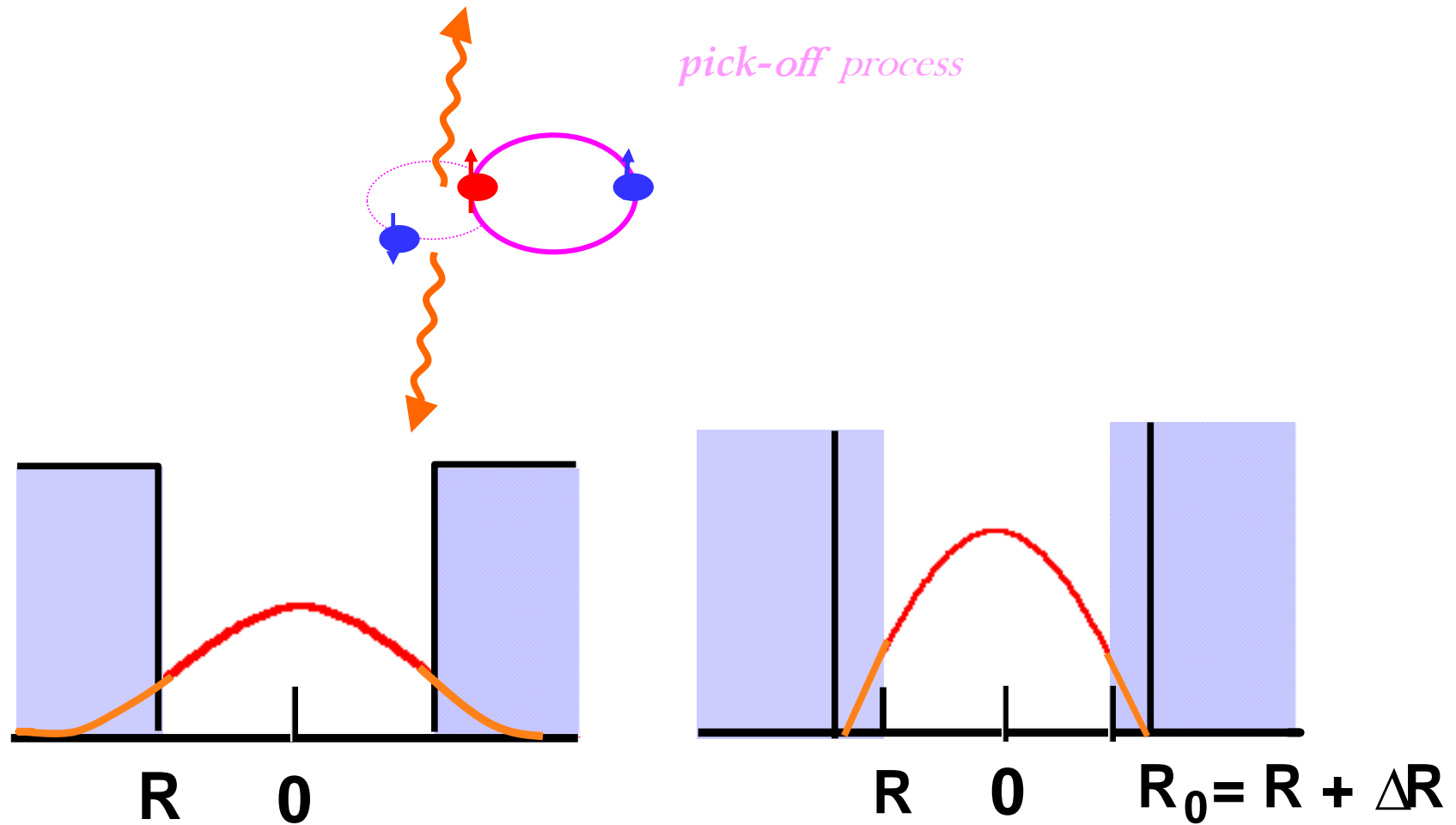


Positronium – trapping in the free volumes existing in the material

Lifetime value shortening due to:

- ortho–para conversion
- chemical and magnetic quenching
- pick-off

### 3. Positronium *in the condensed matter*



L.O. Roelig "Positron Annihilation" (1967) 127  
A.P. Buchikhin et al. ZETF 60 (1971) 1136

S.J. Tao, J.Chem.Phys. 56 (1972) 5499  
M. Eldrup et al. Chem.Phys. 63 (1981) 51

### 3. Positronium *in the condensed matter*

$$\lambda_{o-Ps} = 1/\tau_{o-Ps} = \lambda_{po} + \lambda_t$$

$$\lambda_{po} = P\lambda_b,$$

$$\lambda_t = 0.007\text{ns}^{-1}$$

$$\lambda_b = \frac{1}{4}\lambda_s + \frac{3}{4}\lambda_t = 2\text{ns}^{-1}$$

$$P = \int_{\mathbf{R}}^{\infty} |\Psi(\mathbf{r})|^2 r^2 d\mathbf{r}$$

(For sphere)

$$\tau \in (0.7 - 142) \text{ ns}$$

### 3. Positronium in the condensed matter

Decay constant for pick-off process (averaged over all populated states) :

$$\lambda_{po} = \frac{\sum_{i=1}^N \lambda_i(\mathbf{R}) g_i \exp\left[-\frac{E_i(\mathbf{R})}{kT}\right]}{\sum_{i=1}^N g_i \exp\left[-\frac{E_i(\mathbf{R})}{kT}\right]}.$$

Decay constant for nl-th state, spherical shape:

$$\lambda_{po}^{nl} = \lambda_b \frac{\int_{X_{nl}R/R_0}^{X_{nl}} j_l^2(\mathbf{r}) r^2 d\mathbf{r}}{\int_0^{X_{nl}} j_l^2(\mathbf{r}) r^2 d\mathbf{r}}$$

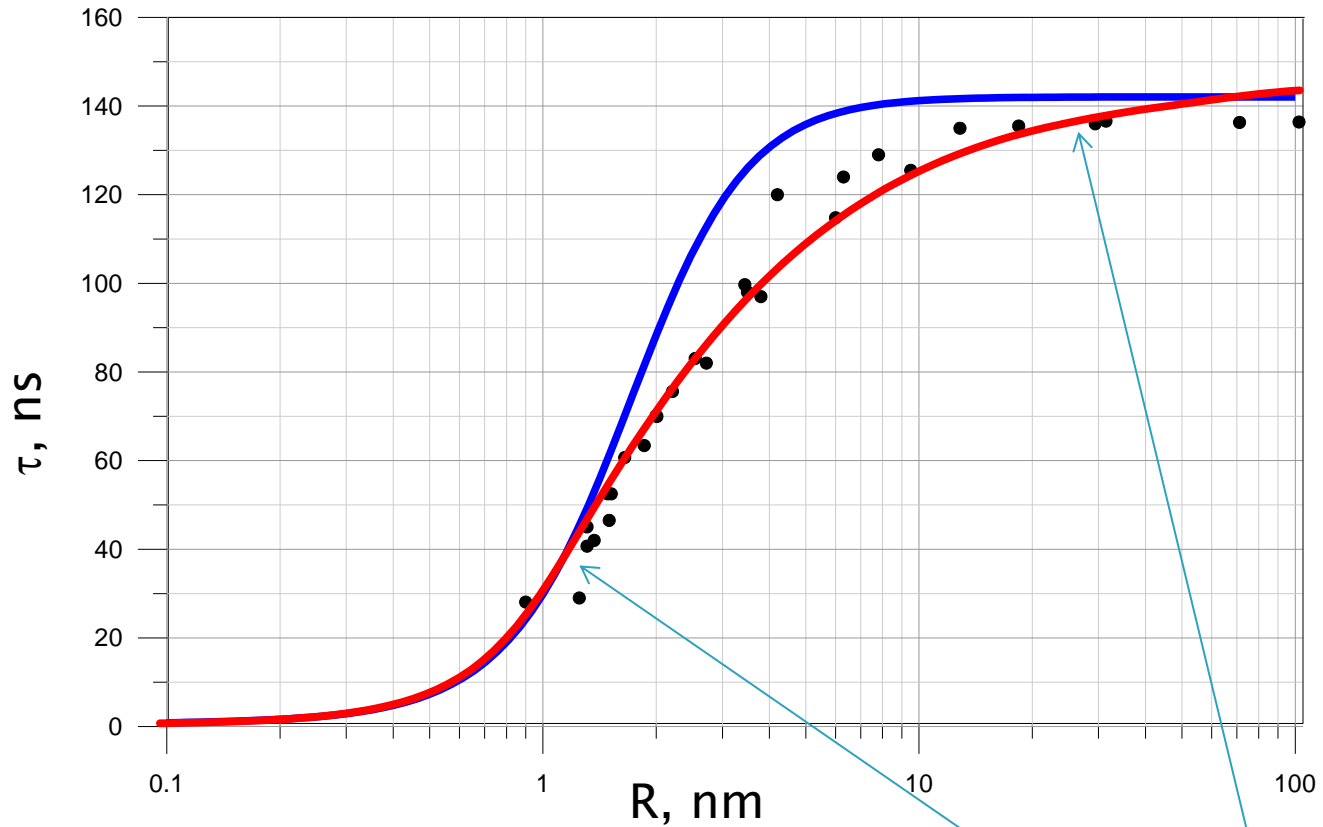
Decay constant for nm-th state, cylindrical shape:

$$\lambda_{po}^{nl} = \lambda_b \frac{\int_{X_{nl}R/R_0}^{X_{nl}} j_l^2(\mathbf{r}) r^2 d\mathbf{r}}{\int_0^{X_{nl}} j_l^2(\mathbf{r}) r^2 d\mathbf{r}}$$



### 3. Positronium in the condensed matter

## PALS vs LN



3 $\gamma$  fraction

$$f = \tau_{o-Ps}/\tau_T.$$

$$\tau \in (0.7 - 142) \text{ ns}$$

From PALS experiment:

$3\gamma$  fraction of o-Ps decay

$$f_{(o-Ps)3\gamma} = \tau_{o-Ps} / \tau_{o-Ps-vacuum}$$

In total lifetime spectrum (number of annihilations)

$$f_{3\gamma} = \frac{\left(1 - \sum_i P_i\right)}{372} + \frac{3}{4} \sum_i \frac{\tau_i(o-Ps)}{\tau_T} P_i$$

$P = 4/31$   $P_i$  - Ps  $i$ -th component  
Formation probability  
(calculated from o-Ps intensity)

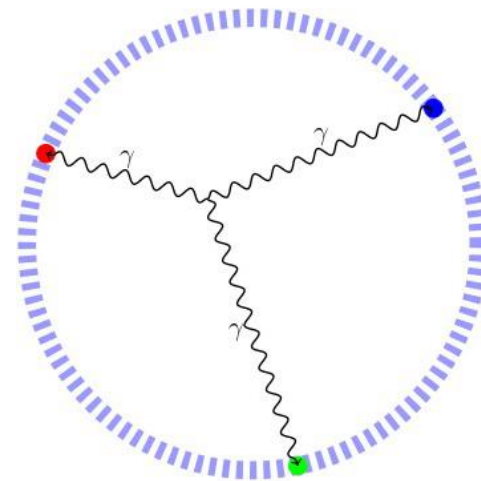
$$\tau_T = 142 \text{ ns}$$

In living organisms expected

$$f_{3\gamma} \sim 1\%$$

## Application of $3\gamma/2\gamma$ in medical imaging

### Competitive method to o-Ps lifetime determination



A. Gajos et al. Nucl.Instrum. Meth. A 819 (2016) 54  
D. Kamińska et al. European Physical Journal C 76(8) (2016)  
P. Moskal et al., Patent application P 405185 (2013),  
PCT/EP2014/068374

Number of registered  $3\gamma$  events during PET investigation in the body depends on:

- tissues porosity
- radionuclide concentration

From experiment one can determine the rate:

$$f_{3\gamma 2\gamma} = N_{3\gamma} / N_{2\gamma}$$

$$f_{3\gamma 2\gamma} = \frac{f_{3\gamma}}{1 - f_{3\gamma}}$$

$$\delta_{3\gamma} = \frac{(f_{3\gamma 2\gamma})_t - (f_{3\gamma 2\gamma})_r}{(f_{3\gamma 2\gamma})_r} \times 1000 \text{‰}$$

$(f_{3\gamma 2\gamma})_t$  – in the investigated object

$(f_{3\gamma 2\gamma})_r$  – in the reference substance

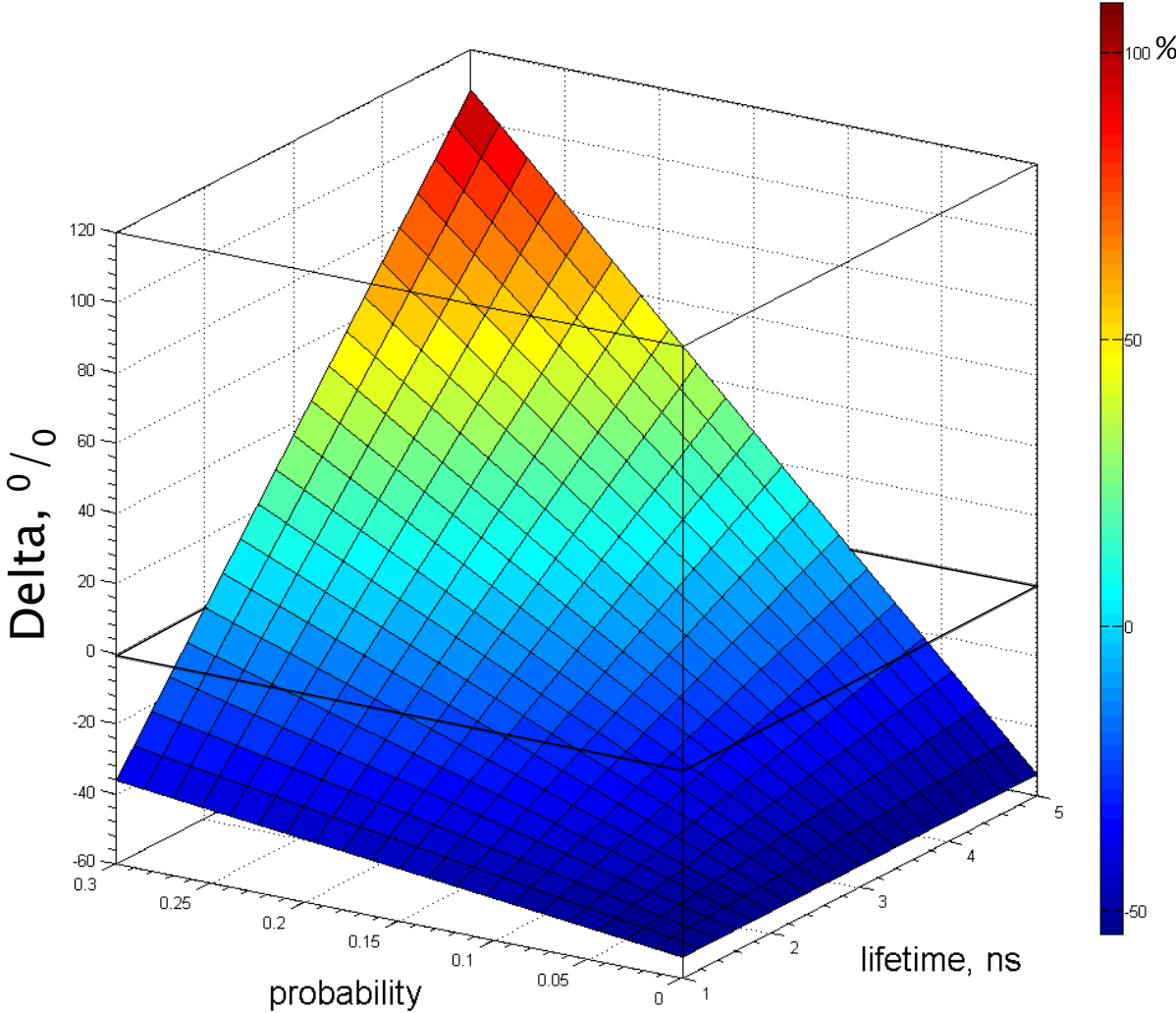
Aqueous solutions:

$$\tau_{\text{o-PS}} = 2.0 \text{ ns}, P_{\text{o-PS}} = 30\%$$

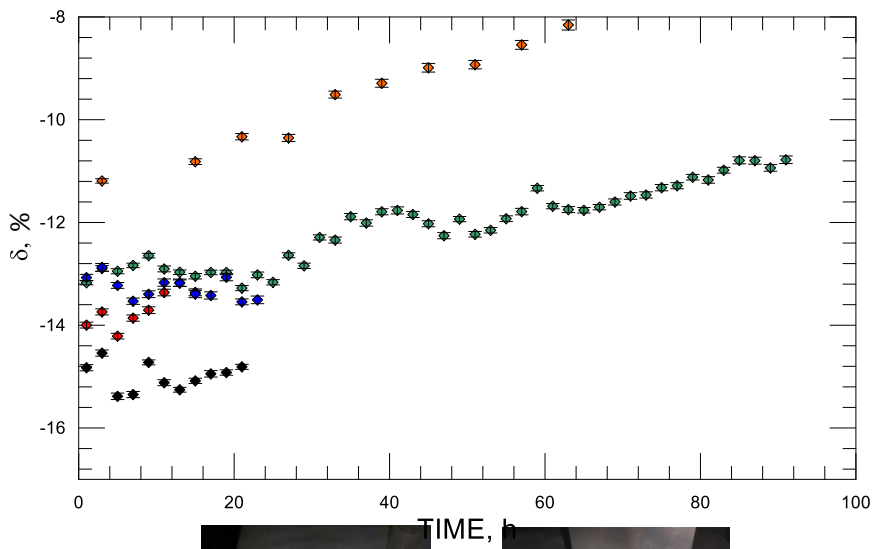
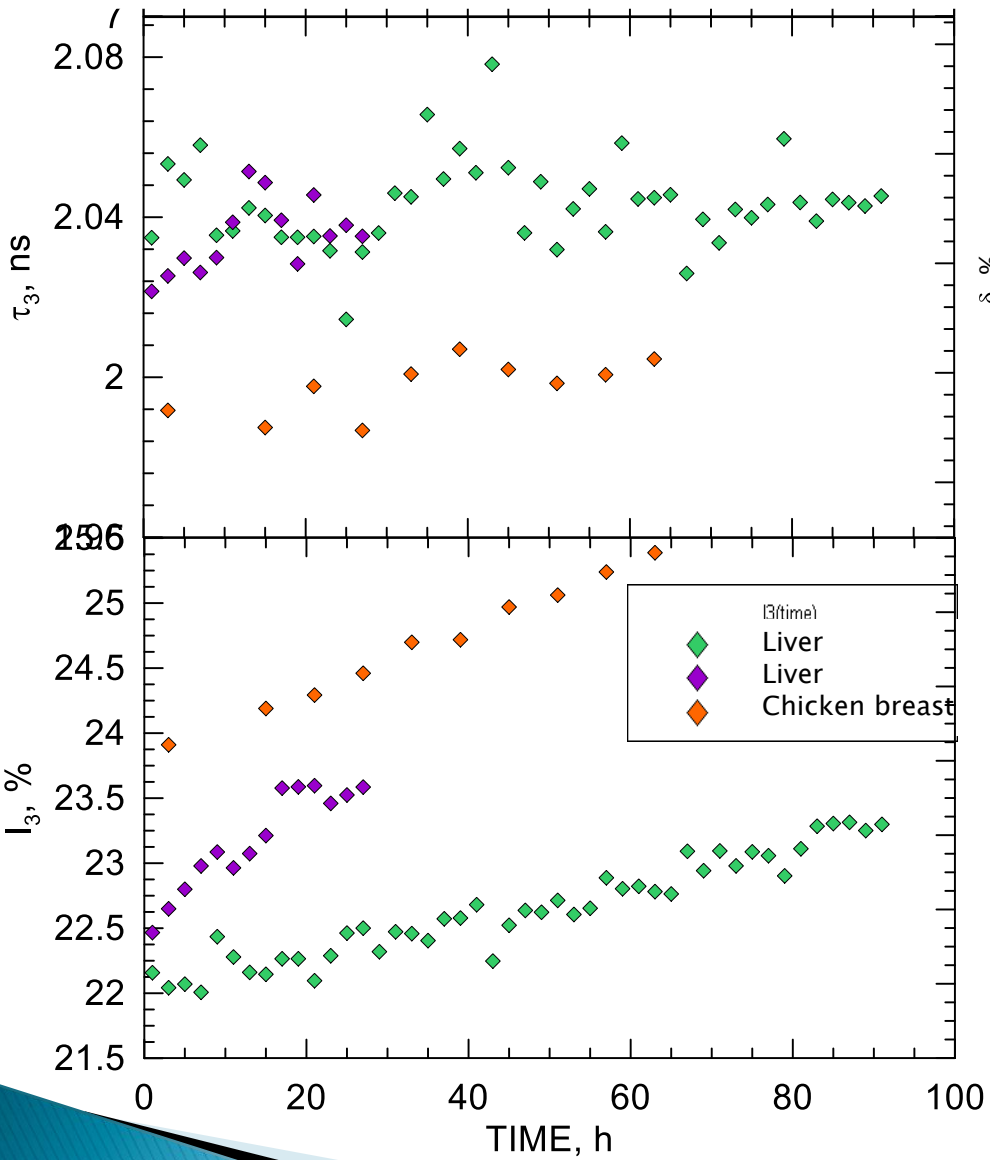
**B. Jasinska, P. Moskal, P 418689 (2016)**

**Stepanov – Mater. Sci. Forum, Vol. 666, 109-114 (2010)**

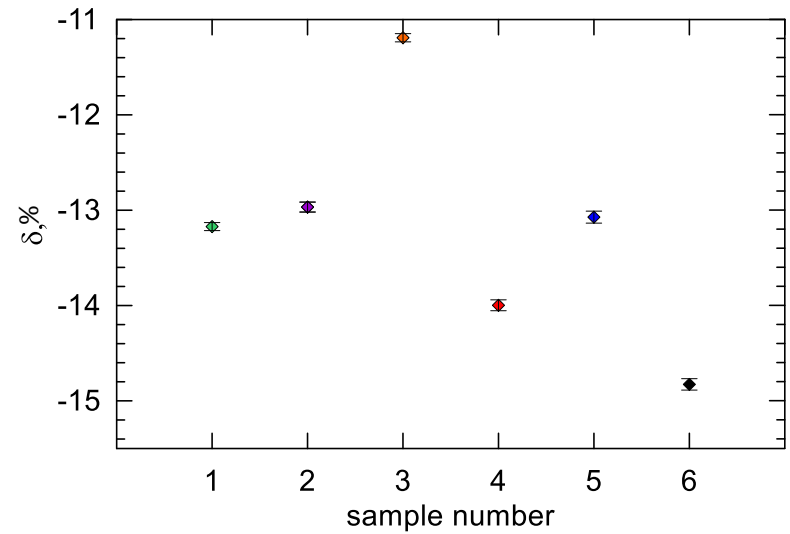
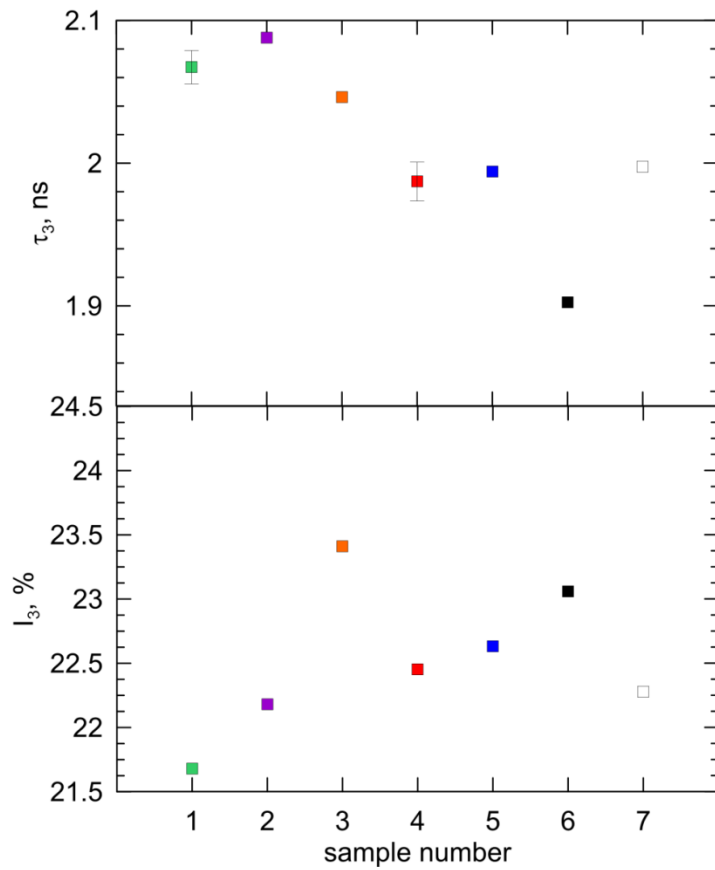
# Expected range of $\delta$ parameter calculated from lifetime values

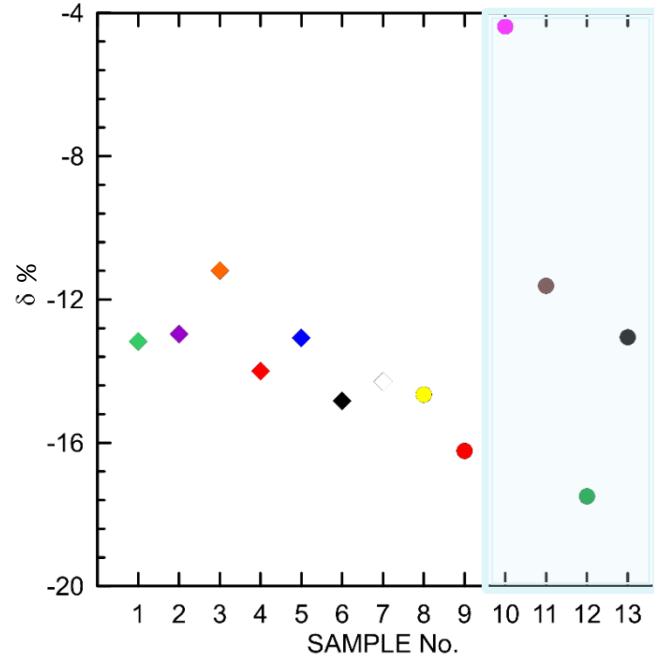
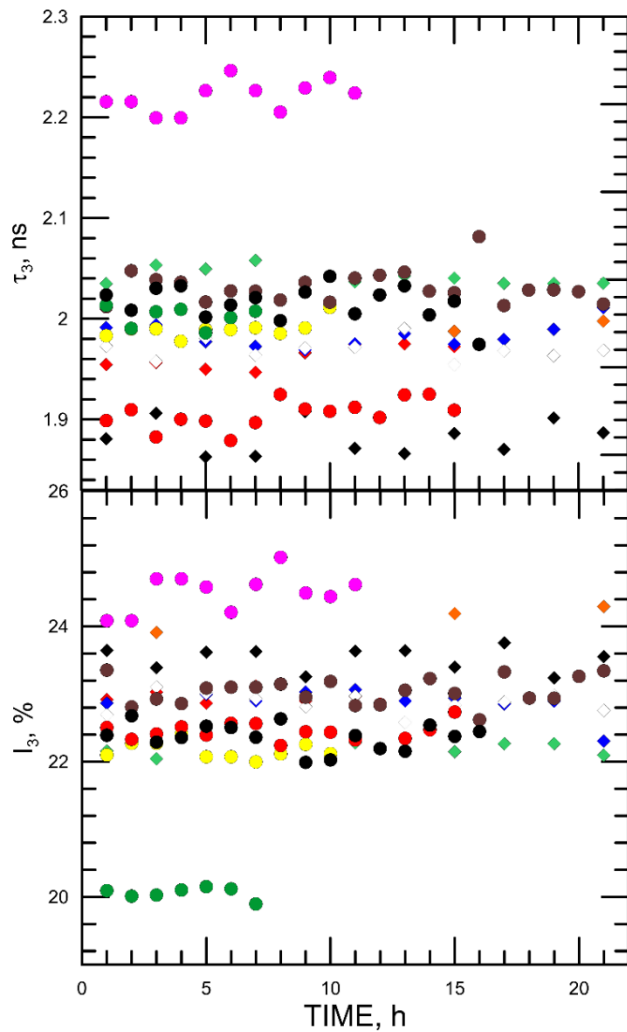


# Experiment – chicken meat aging



# Experiment – chicken meat



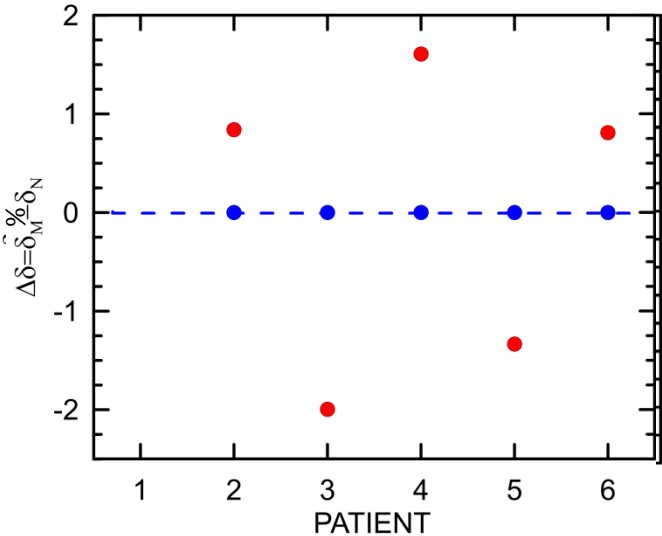
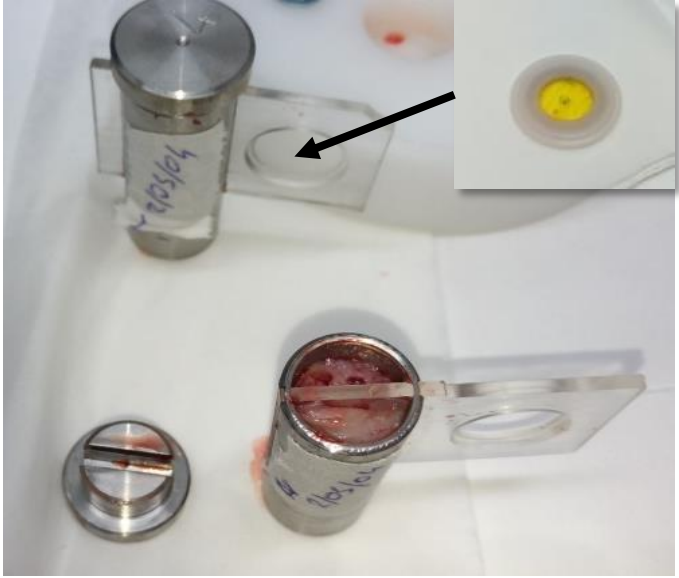
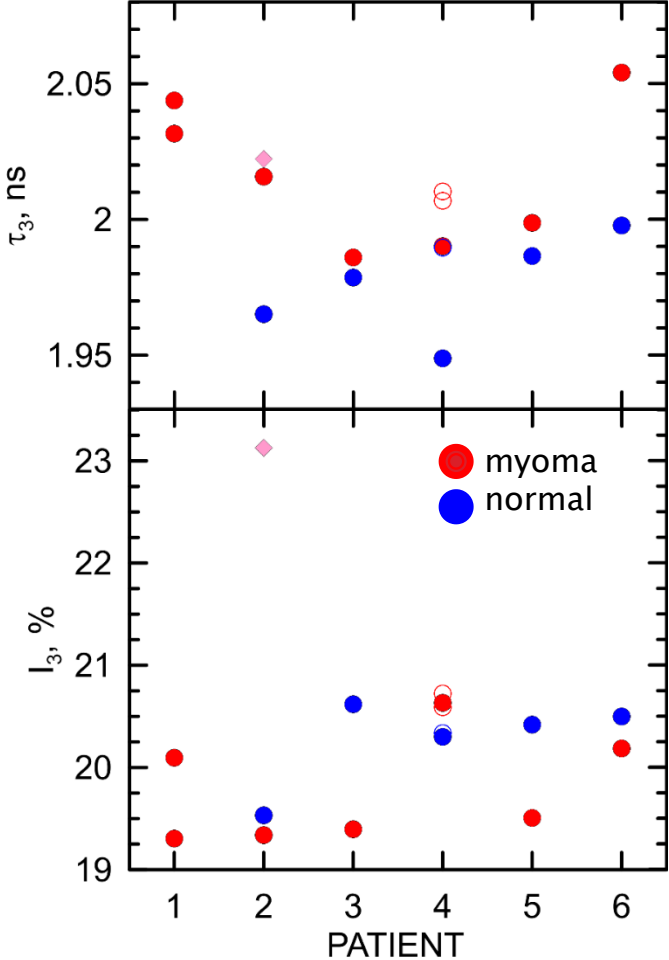


With  $\delta$  parameter one possible to differentiate between tissues kind.



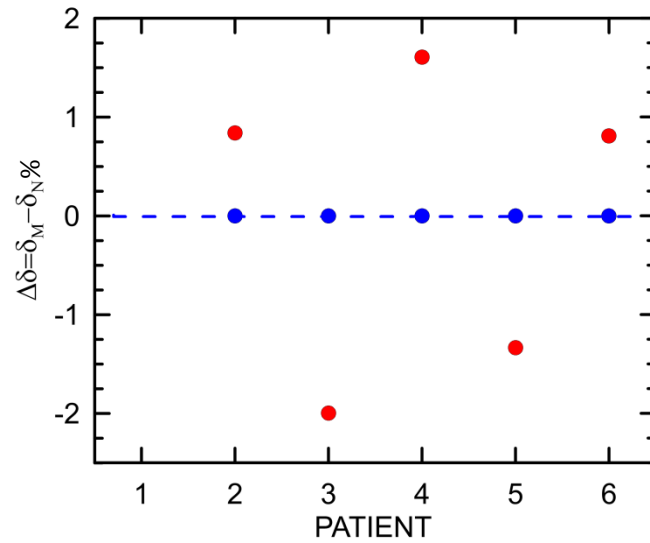
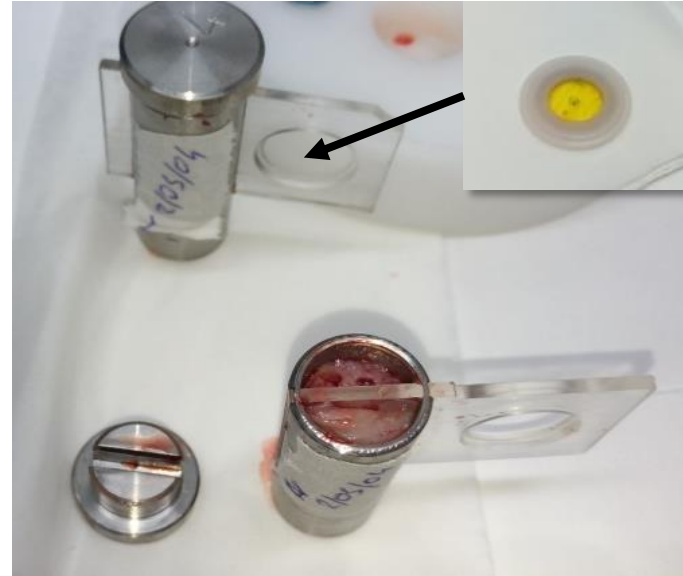
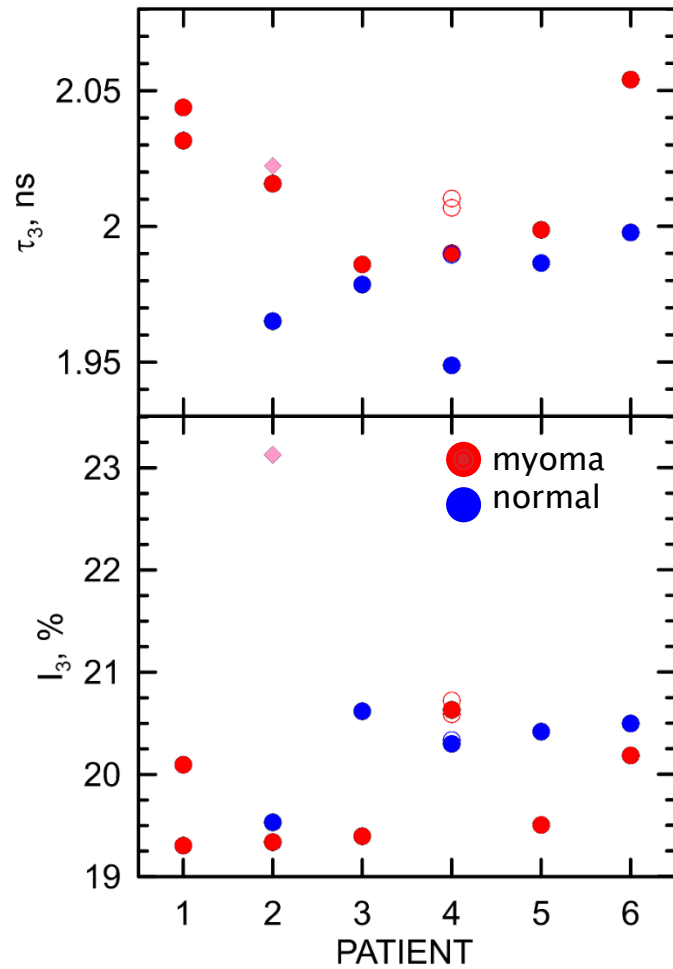
# Human tissues

*Comparison of normal uterus and myoma muscles*



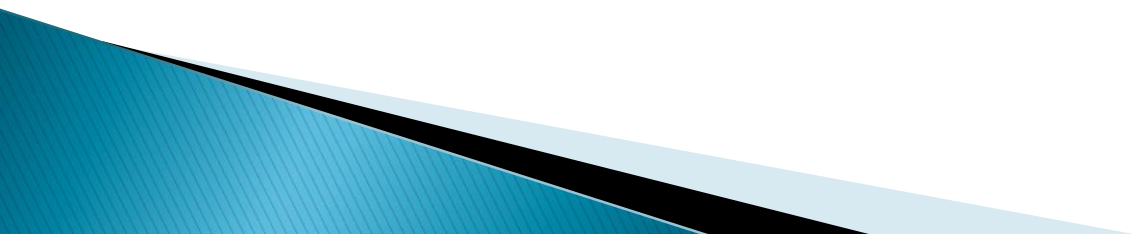
# Human tissues

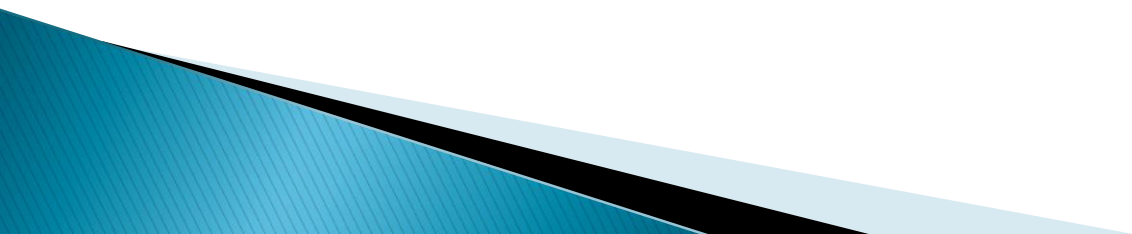
## Comparison of normal uterus and myoma muscles

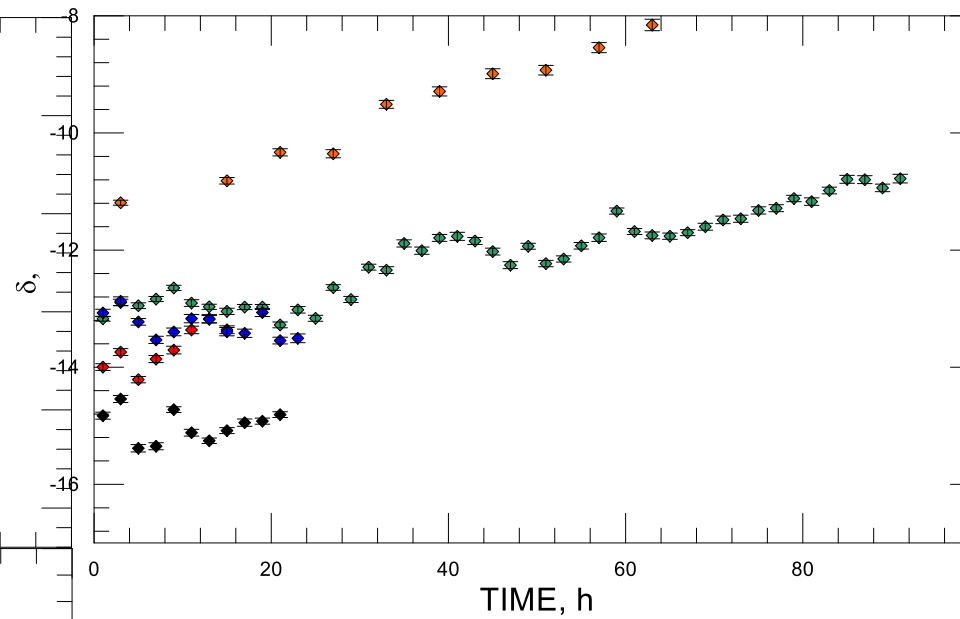
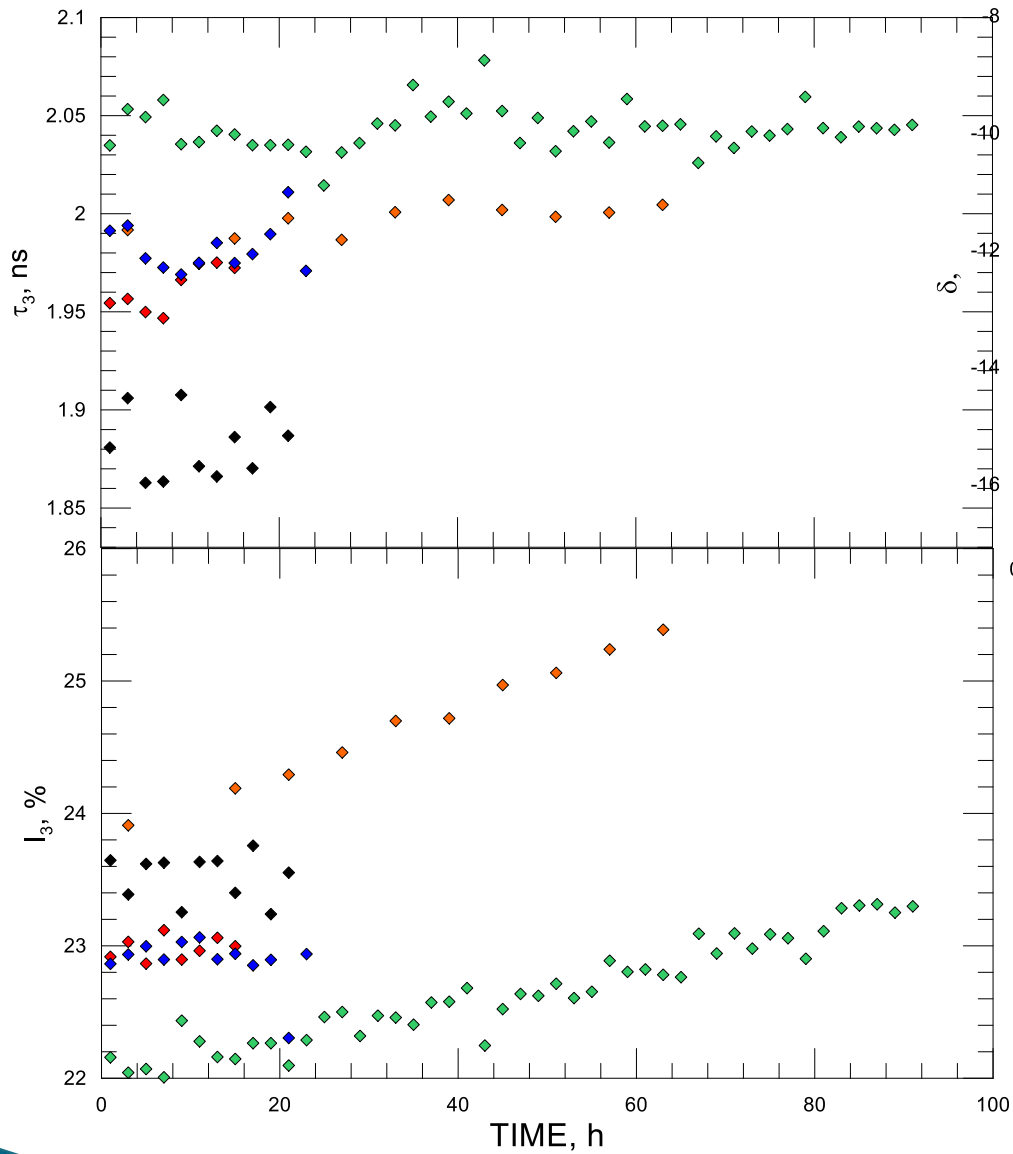


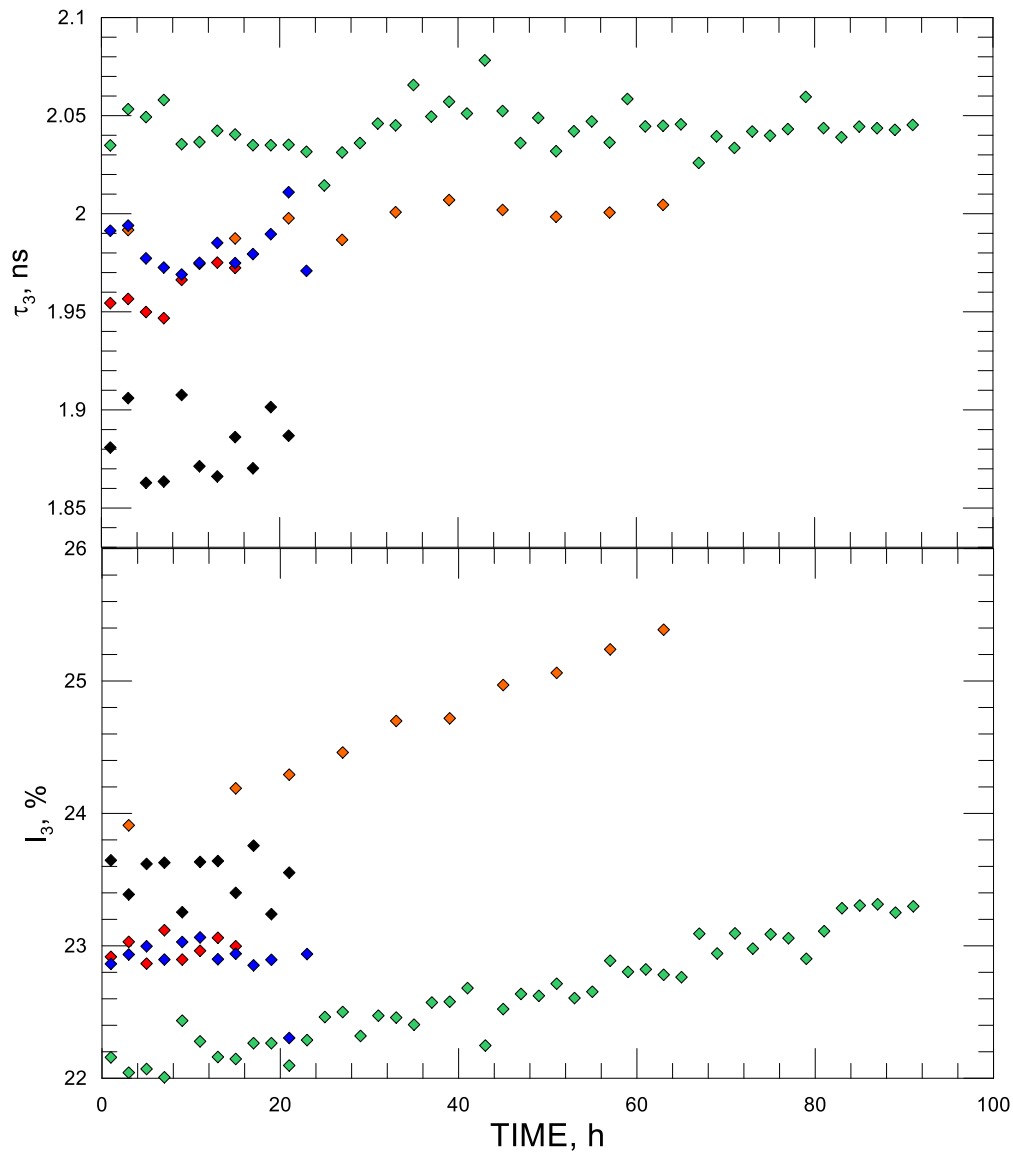
## *Conclusions*

1. With  $\delta$  parameter it is possible to differentiate between tissues kind.
2. With  $\delta$  parameter it is possible to observe material aging.
3. Result of measurements for human tissues are promising but not conclusive (at this stage of investigations).



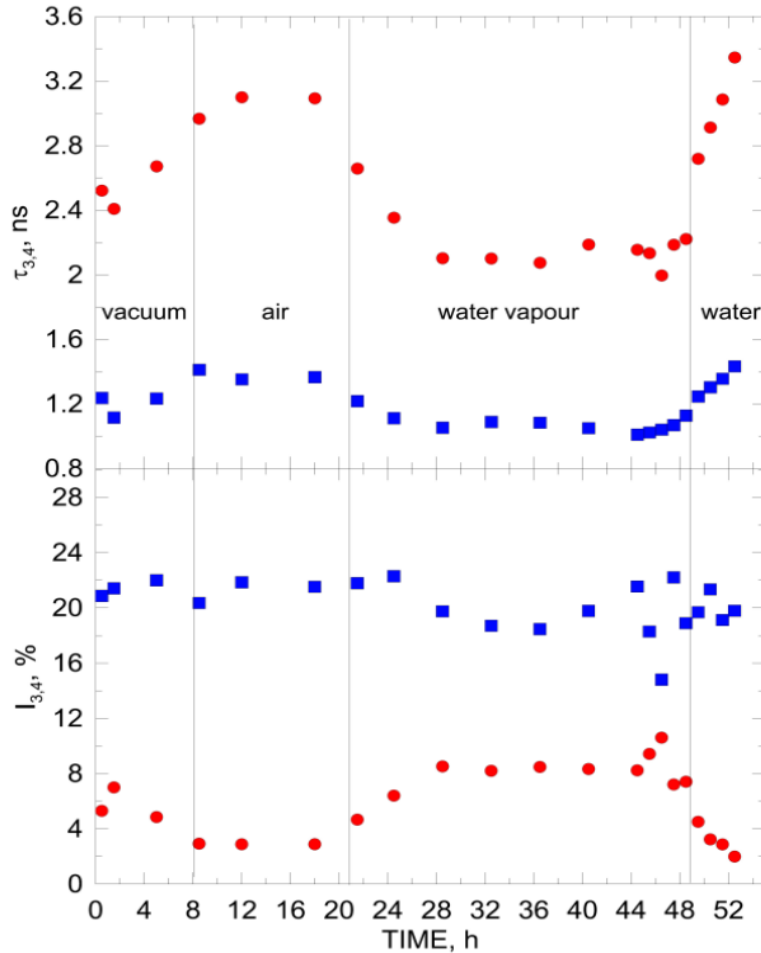






# WATER PRESENCE IN THE HUMAN BODY

## YEAST



*The o-Ps lifetime and intensity values as a function of the water vapour sorption time, index 3 denotes shorter-lived component (squares), 4 – longer-lived (circles).*

*Measurement stages:*

- 1) in vacuum ,*
- 2) in dried air,*
- 3) with presence of water vapour,*
- 4) with drop of water placed in the chamber containing yeast.*

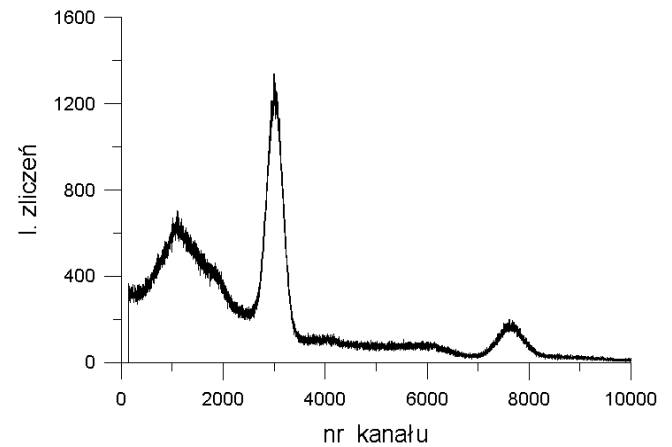
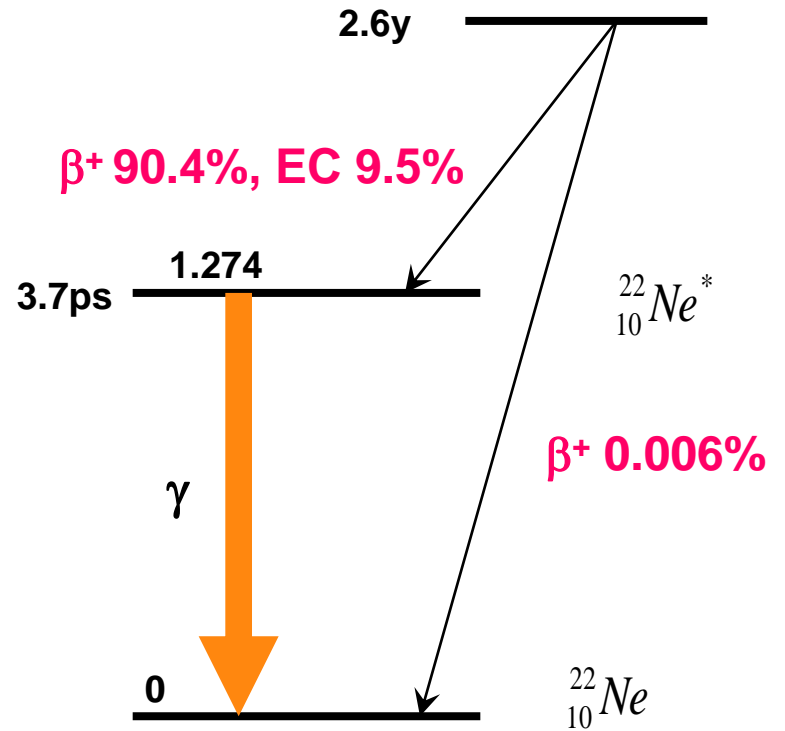
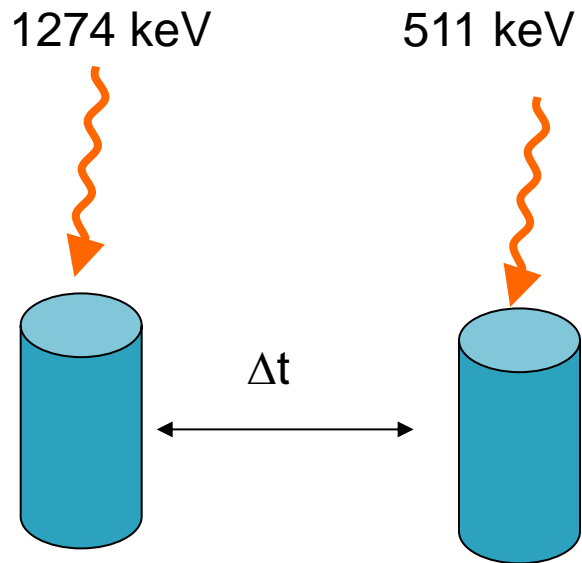


## Plans of tests with J-PET

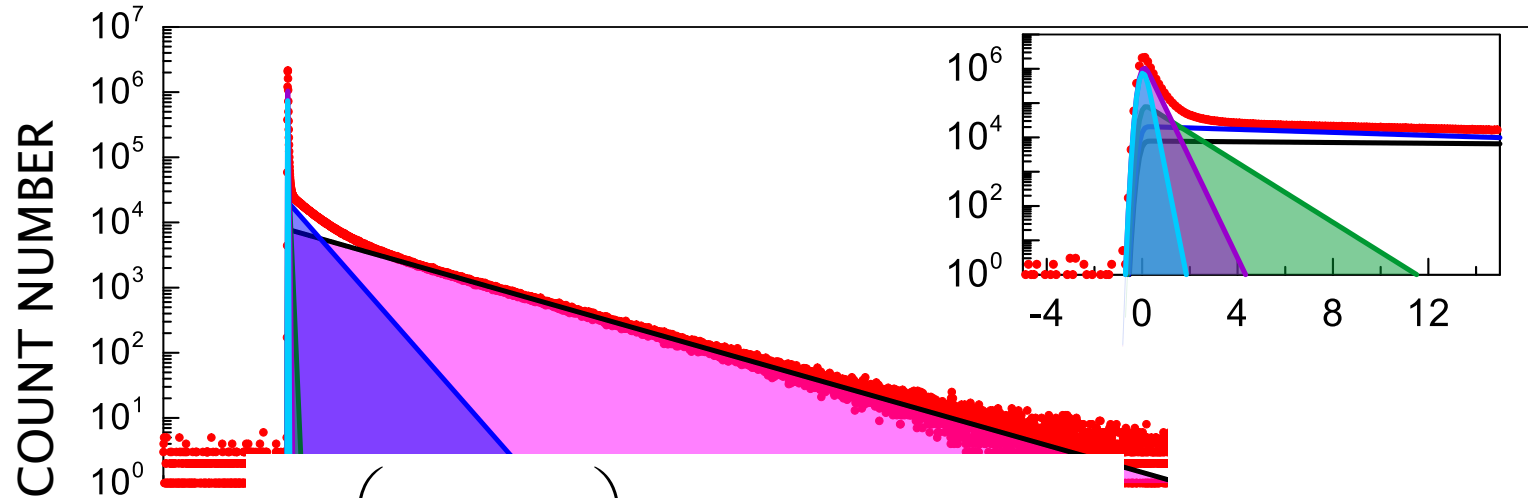
1. Determination of the experimental uncertainty (statistics of measurements/human body examination), repeatability of the results for one tissue
2. Preliminary determination of the range of  $\Delta E$  values for various tissues

# PALS

*Positron Annihilation Lifetime Spectroscopy*



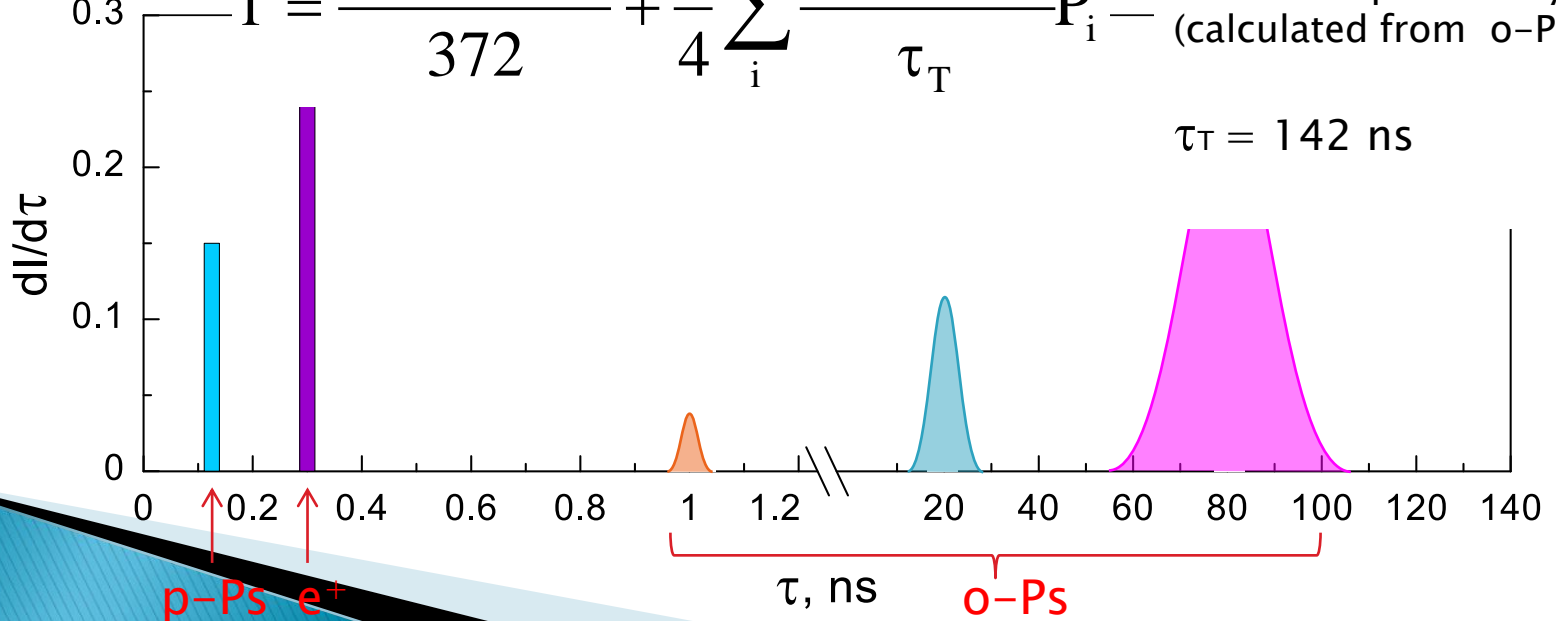
# 3γ fraction – LT spectrum



$$f = \frac{\left(1 - \sum_i P_i\right)}{372} + \frac{3}{4} \sum_i \frac{\tau_i (o - P_s)}{\tau_T} P_i$$

$P=4/31$   $i$  - Ps  $i$ -th component  
Formation probability  
(calculated from o-Ps intensity)

$\tau_T = 142$  ns



p-Ps e+

$\tau$ , ns o-Ps